

`\def\vc#1{\textbf{\textit #1}}`

$$\nabla \times \mathbf{H} = \mathbf{J}$$
$$e^{(a+\epsilon b) \cdot \mathbf{K}} e^{-a \cdot \mathbf{K}}$$

`\def\vc#1{\textit{\textbf #1}}`

$$\nabla \times \mathbf{H} = \mathbf{J}$$
$$e^{(a+\epsilon b) \cdot \mathbf{K}} e^{-a \cdot \mathbf{K}}$$

`\def\vc#1{\mathbf{\mathit #1}}`

$$\nabla \times H = J$$
$$e^{(a+\epsilon b) \cdot \mathbf{K}} e^{-a \cdot \mathbf{K}}$$

`\def\vc#1{\mathit{\mathbf #1}}`

$$\nabla \times \mathbf{H} = \mathbf{J}$$
$$e^{(\mathbf{a}+\epsilon \mathbf{b}) \cdot \mathbf{K}} e^{-\mathbf{a} \cdot \mathbf{K}}$$

`\def\vc#1{\boldsymbol #1}`

$$\nabla \times \mathbf{H} = \mathbf{J}$$
$$e^{(a+\epsilon b) \cdot \mathbf{K}} e^{-a \cdot \mathbf{K}}$$

`\def\vc#1{\mbox{\boldmath $#1$}}`

$$\nabla \times \mathbf{H} = \mathbf{J}$$
$$e^{(\mathbf{a}+\epsilon \mathbf{b}) \cdot \mathbf{K}} e^{-\mathbf{a} \cdot \mathbf{K}}$$